

We approach practical data collection scenarios with multiple sources, where acquisition plans need to be made with only small samples. We propose a handy toolkit, **projektor**, that predicts model performance, projects it onto larger scales, and optimizes over predictions.

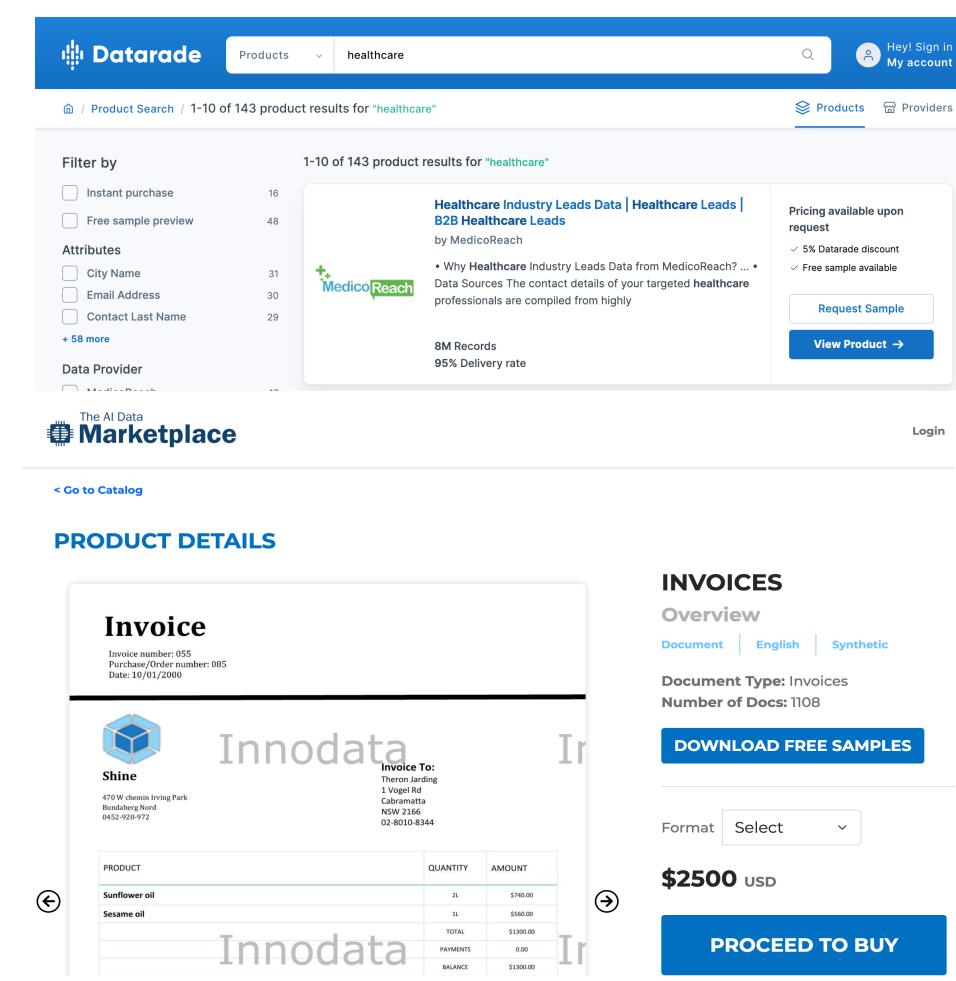
What's the problem?

"data is the new oil"—the **choice of training data** is crucial for extracting the best performance out of a model.

Data is typically acquired from **various sources**, such as different organizations or vendors (e.g., **data marketplace**)

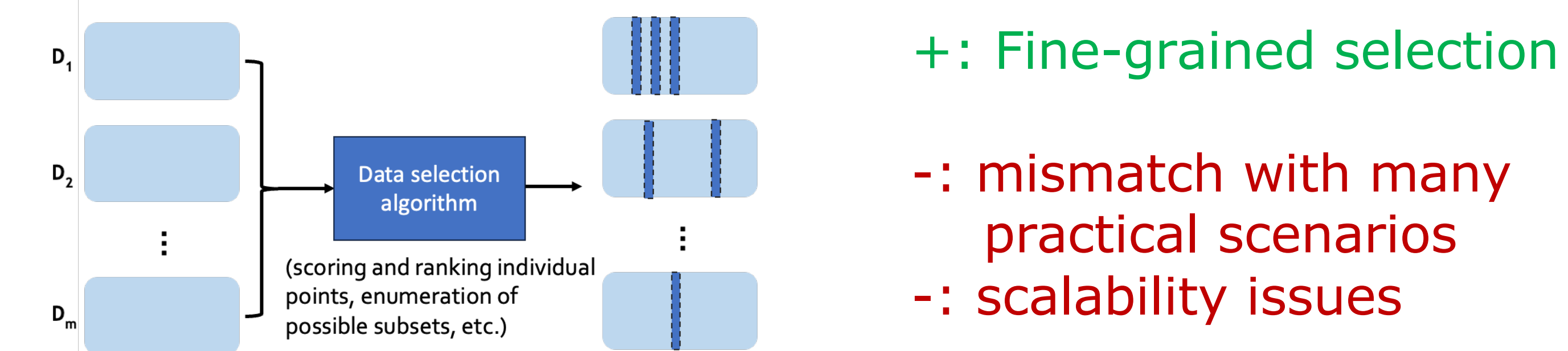
in practical scenarios, data providers often reveal **only a limited subset** of samples before an acquisition decision is made.

How to select and combine samples from these data sources?



Limitations of Past Work

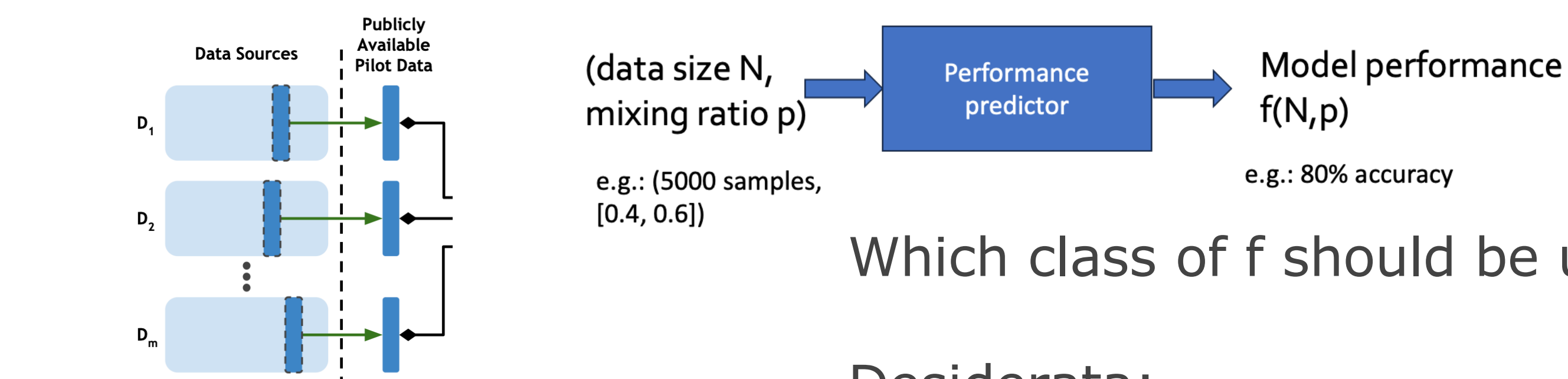
Most assumes **complete** access to potential data sources (coreset selection, active learning, data valuation, etc.)



Without complete access of data, we cannot directly **evaluate** a plan

Our Approach: projektor

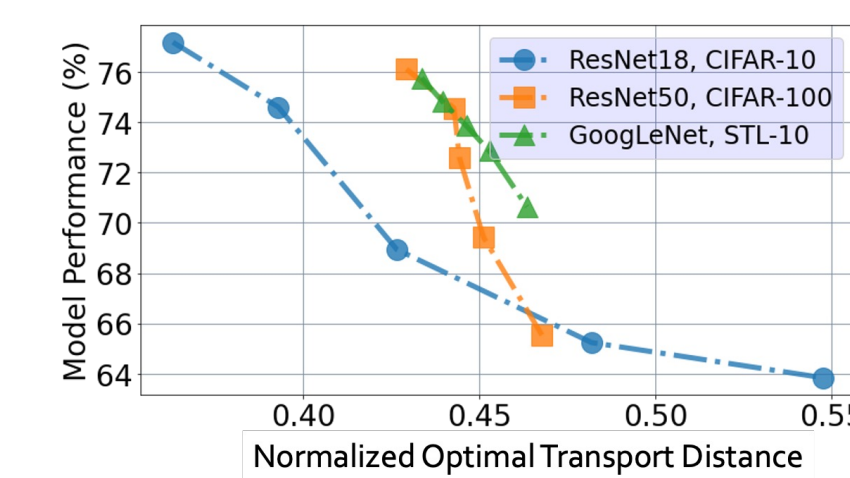
Key idea: learn a performance predictor



Which class of f should be used?

Desiderata:

- Accurate extrapolation to large N
- Easy to optimize over p



Intuition: The **more relevant** training data is to the validation, the **higher model performance**

Paper & Repository

Paper. openreview.net/pdf?id=quMBEd27x9

Code. github.com/ruoxi-jia-group/projektor



Our Approach: projektor

Our approach: performance scaling via optimal transport

Stage 1: Performance prediction at any p but small N Validation set

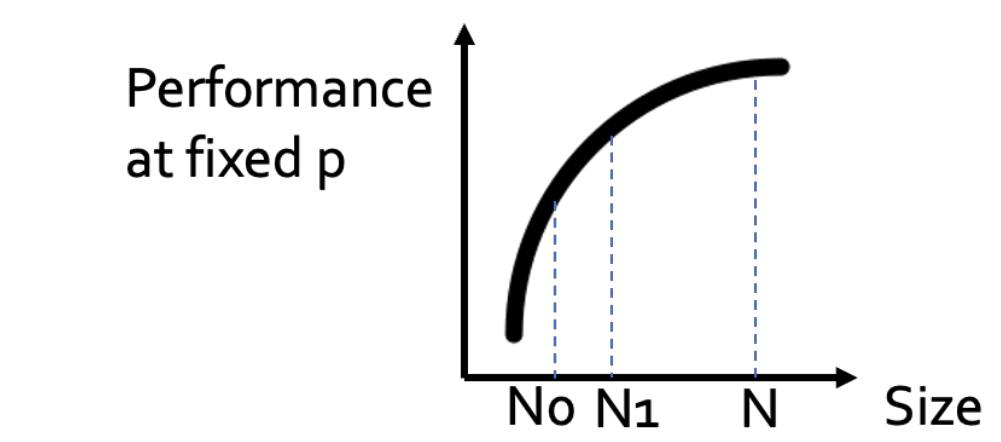
$$\hat{\mathcal{L}}(\mathcal{A}(\mathcal{D}(N, \mathbf{p})), D^{val}) = a_1 \cdot \text{OT}(\mathcal{D}(N, \mathbf{p}), D^{val}) + a_0$$

Performance of the model trained on $\mathcal{D}(N, \mathbf{p})$ and evaluated on D^{val} Training set of size N and mixing ratio \mathbf{p}

Stage 2: Parameter-free projection to larger N

$$\text{Consider } \mathbb{E}_V[\mathcal{L}(\mathcal{A}(\mathcal{D}(N, \mathbf{p})); D^{val})] = -\alpha(\mathbf{p}) \log(N) + C(\mathbf{p})$$

$$\text{Then } \hat{\mathcal{L}}(\mathcal{A}(\mathcal{D}(N, \mathbf{p})); D^{val}) = \left(\log \frac{N_1}{N_0}\right)^{-1} \left[\log \frac{N}{N_0} \hat{\mathcal{L}}(\mathcal{A}(\mathcal{D}(N_1, \mathbf{p})); D^{val}) - \log \frac{N}{N_1} \hat{\mathcal{L}}(\mathcal{A}(\mathcal{D}(N_0, \mathbf{p})); D^{val})\right]$$



Stage 3: Selection

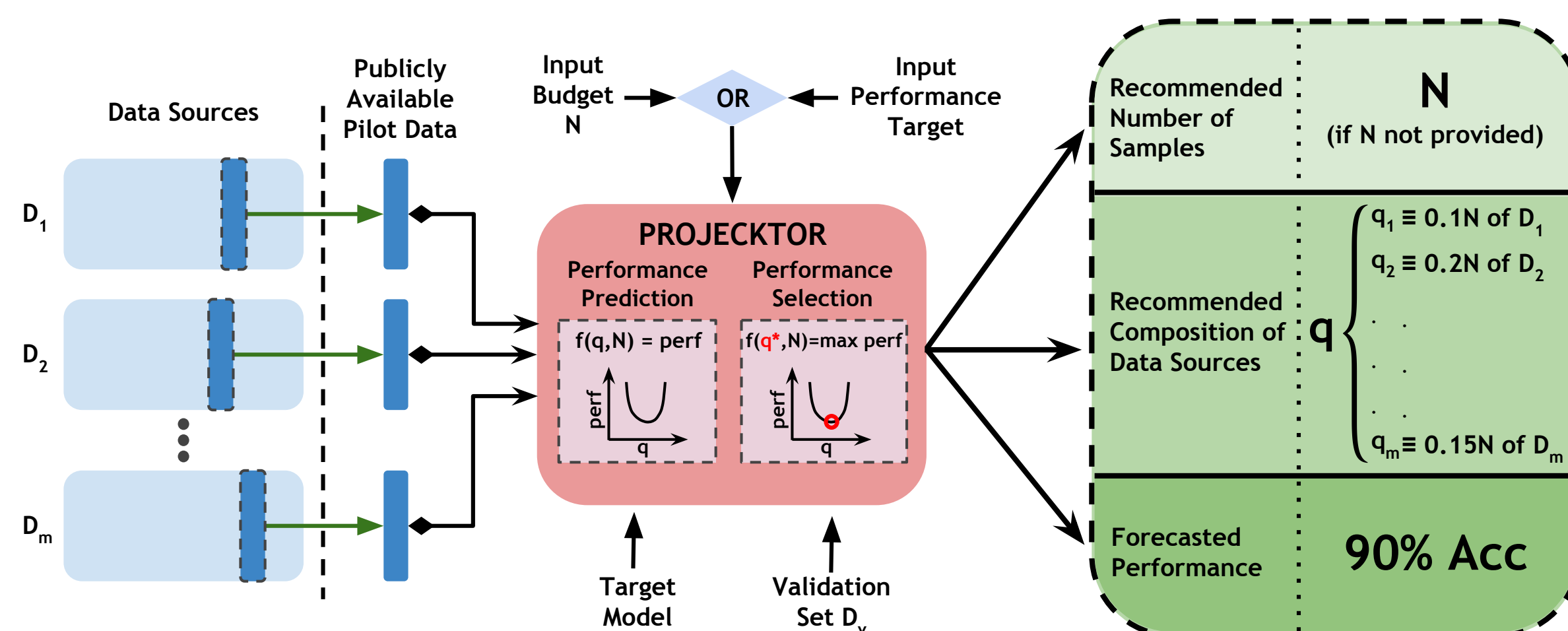
$$\mathbf{p}^* = \arg \max_{\mathbf{p}} \hat{\mathcal{L}}(\mathcal{A}(\mathcal{D}(N_s, \mathbf{p})), D^{val})$$

Optimization is solved via gradient descent

$$\mathbf{p}^{t+1} \leftarrow \mathbf{p}^t + d^t \cdot \frac{\partial \hat{\mathcal{L}}(\mathcal{A}(\mathcal{D}(N_s, \mathbf{p})), D^{val})}{\partial \mathbf{p}} \Big|_{\mathbf{p}=\mathbf{p}^t}$$

Our Framework

strategic data selection in **partially observable** settings, where only limited samples of data sources (**pilot datasets**) are accessible.



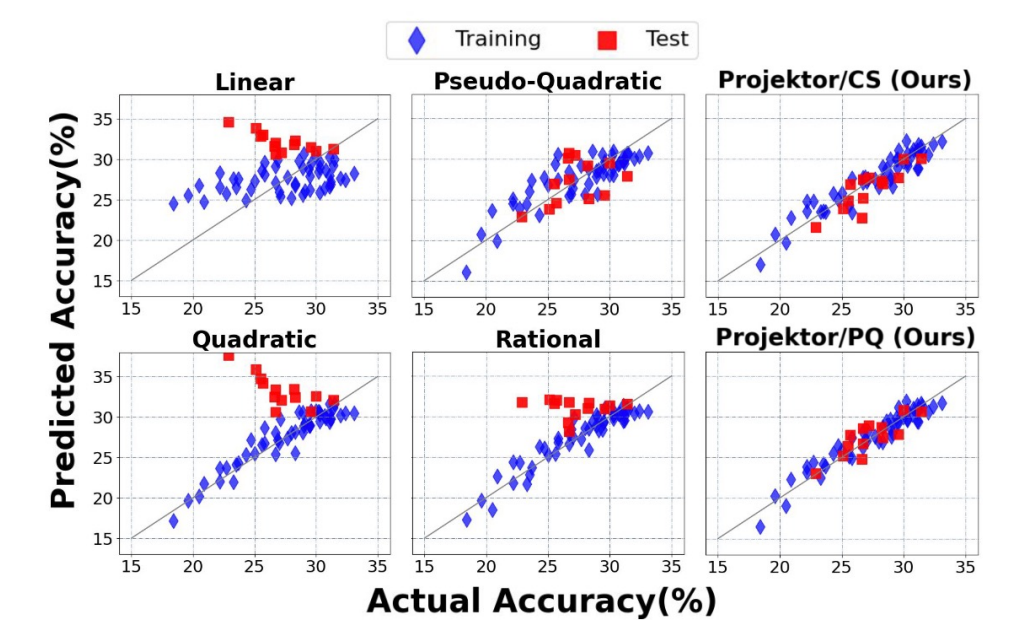
→ The goal is to determine an **optimal allocation** of the selection budget to each source, based only on pilot datasets, such that the model trained on the **mixture of collected data** achieves the best result on given objectives.

Applications

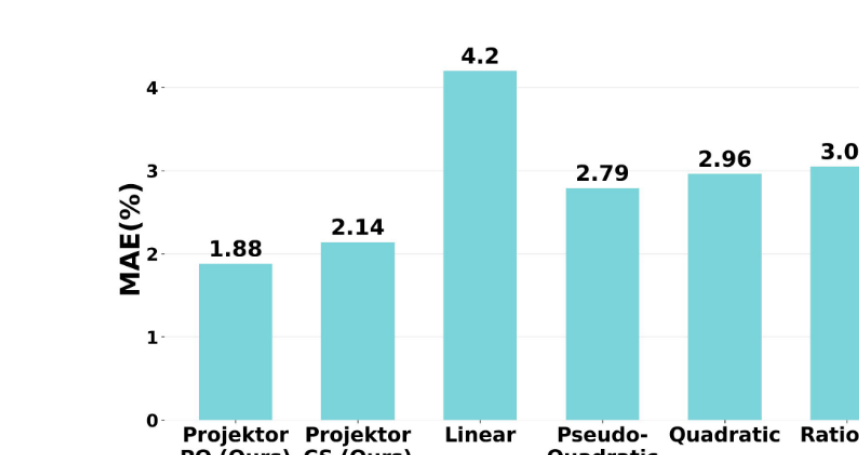
Evaluation: Performance prediction at unseen **mixing ratio** (extrapolation on p)

	Data Source 1	Data Source 2	Data Source 3	Model Performance
Projektor/PQ (Ours)	34	33	33	61%
Projektor/CS (Ours)	35	32	33	60%
Linear	100	100	100	46%
Pseudo-Quadratic	35	42	23	57%
Quadratic	28	36	35	58%
Rational	29	37	35	58%
LOO	100	100	100	46%
Shapley	100	100	100	47%
Random	?	?	?	52%

Data mixture ratio selection for ImageNet-100 selection for 50K budget from 10K samples.



Projected performance for the selected mixture ratio (from above) and the actual performance.



Performance projection from 1K samples to **larger data scales** (2-10K).